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# Magnetic Structure of the Large-Spin $\mathbf{M n}_{10}$ and $\mathbf{M n}_{19}$ Complexes: A Theoretical Complement to an Experimental Milestone 

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#### Abstract

High-spin molecules have been proposed as candidates for the storage of information at the molecular level. The electronic structure of two complex magnetic molecular systems, $\mathrm{Mn}_{10}$ and $\mathrm{Mn}_{19}$, is characterized by means of a computational study based on density functional theory. All the exchange interactions in the recently reported $\mathrm{Mn}_{19}$ complex with the highest known spin value of $83 / 2$, and in its highly symmetric $\mathrm{Mn}_{10}$ parent compound, are ferromagnetic. In these complexes, there are two kinds of ferromagnetic coupling: the first one corresponds to $\mathrm{Mn}^{\prime \prime}-\mathrm{Mn}^{\prime \prime \prime}$ interactions through a double $\mu_{2}$-alkoxo-$\mu_{4}$-oxo bridge where the high coordination number of the Mn " cations results in long $\mathrm{Mn}^{\prime \prime}-\mathrm{O}$ bond distances, while the second one involves $\mathrm{Mn}^{\text {III }}-\mathrm{Mn} \mathrm{n}^{\text {III }}$ interactions through $\mu_{2}$-alkoxo- $\mu_{3}-\eta^{1}: \eta^{1}: \eta^{1}$ azido bridging ligands with long $\mathrm{Mn}^{\text {III }}-\mathrm{N}$ distances due to a Jahn-Teller effect.


## Introduction

Two related mixed-valence $\mathrm{Mn}^{\mathrm{II}}-\mathrm{Mn}^{\mathrm{III}}$ polynuclear complexes, $\mathrm{Mn}_{10}$ and $\mathrm{Mn}_{19},{ }^{1,2}$ with large values of the total spin in their ground states, have been recently reported. The latter is so far the world record for molecular spin, with $S=83 / 2$, significantly surpassing the previous highest values of $S=$ $51 / 2$ and $S=61 / 2$ in $\mathrm{Mn}_{25}$ complexes. ${ }^{3,4}$ Such high-spin polynuclear transition metal complexes are much sought after synthetic targets, due to their potential as single-molecule magnets (SMM) that could eventually lead to applications for information storage at the molecular level. Slow relaxation of the magnetization of such compounds at low temperature is responsible for the presence of a hysteresis loop in their magnetization curves, a characteristic behavior of magnets that used to be associated with bulk materials only. In order to have a slow relaxation of the magnetization, the states with positive and negative magnetic moments must be separated by an energy barrier, the height of which is known to depend directly on the square of the total spin of the molecule and its magnetic anisotropy. ${ }^{5,6}$ Hence the importance of having molecules with such large spins as $\mathrm{Mn}_{19}$,

[^0]even if in this case the magnetic anisotropy is so small that no SMM behavior is clearly observed.

In the efforts toward preparing polynuclear complexes with high spin, a common shortcoming is that the local spins of the metal atoms are antiferromagnetically coupled and the total spin in the ground state is not as large as it could be if the coupling was ferromagnetic. As an example, in the paradigmatic [ $\mathrm{Mn}_{12} \mathrm{O}_{12}\left(\mathrm{CH}_{3} \mathrm{COO}\right)_{16}\left(\mathrm{H}_{2} \mathrm{O}\right)_{4}$ ] complex known as $\mathrm{Mn}_{12},{ }^{7}$ the ground state has $S=10$, rather than its highest spin state $S=22$. In contrast, the most salient feature of $\mathrm{Mn}_{19}$ and $\mathrm{Mn}_{10}$ is that their magnetic behavior is compatible only with the highest possible spin, indicating that all the Mn atoms therein are ferromagnetically coupled. Therefore, a full characterization of the exchange interactions that determine such high spin states, not directly obtainable from the temperature dependence of the magnetic susceptibility, should provide us with valuable information for the future design of new molecular systems with still higher spin.

The goals of the present work are to study the magnetic properties of the $\mathrm{Mn}_{19}$ and $\mathrm{Mn}_{10}$ complexes using theoretical methods based on density functional theory (DFT), to establish the sign and magnitude of the exchange coupling constants ( $J$ ) within such systems, and to search for the structural factors that determine their ferromagnetic nature. To that end, we apply the computational tools that have successfully described the electronic and magnetic structures

[^1]of a variety of polynuclear transition metal complexes. ${ }^{8-11}$ In particular, we have found that codes that use numerical or plane waves basis sets with generalized gradient approximation (GGA) exchange-correlation functionals, such as that proposed by Perdew-Burke-Ernzerhof (PBE), ${ }^{12}$ provide very good results for large molecules, ${ }^{13,14}$ while the hybrid B3LYP functional together with Gaussian basis sets have become the standard method for not-so-large systems. Here, we report on calculations with numerical basis sets and the PBE functional as well as computations with a Gaussian basis set and the B3LYP method for the $\mathrm{Mn}_{10}$ and $\mathrm{Mn}_{19}$ complexes. Details of such calculations and results for dinuclear compounds showing the excellent agreement with experimental data reached with the PBE functional and numerical basis sets are included in the Computational Details section.

## Results and Discussion

Analysis of the Topology of the Complexes. The molecular structures of the $\mathrm{Mn}_{19}$ and $\mathrm{Mn}_{10}$ complexes are represented in Figure 1. Both have as a common motif a $\mathrm{Mn}_{10}$ core that can be described as a supertetrahedron with $\mathrm{Mn}^{\mathrm{II}}$ cations at the vertices and $\mathrm{Mn}^{\mathrm{II}}$ cations at the edges, the latter having perforce an octahedral arrangement. ${ }^{15}$ The $\mathrm{Mn}_{19}$ complex can be simply described as the result of the condensation of two such $\mathrm{Mn}_{10}$ cores, sharing one of the $\mathrm{Mn}^{\mathrm{II}}$ vertices. The shared $\mathrm{Mn}^{\mathrm{II}}$ cation presents an uncommon cubic coordination sphere, while the other $\mathrm{Mn}^{\mathrm{II}}$ cations are seven-coordinated with a capped octahedral coordination, and the $\mathrm{Mn}^{\text {III }}$ ions present distorted octahedral coordination spheres. The two complexes have very similar bridges, including $\mu_{3}-\eta^{1}: \eta^{1}: \eta^{1}$ azido ligands coordinated to the $\mathrm{Mn}^{\mathrm{III}}$ cations, i.e., capping the faces of the $\mathrm{Mn}^{\mathrm{III}}{ }_{6}$ octahedra not occupied by $\mathrm{Mn}^{\mathrm{II}}$ ions. It is precisely the presence of such bridging azido ligands that has been blamed for the ferromagnetism found, since these ligands have a well-known tendency to favor ferromagnetic coupling in dinuclear complexes. ${ }^{16}$
The spin Hamiltonian for a general polynuclear complex can be expressed as

$$
\begin{equation*}
\hat{H}=-\sum_{i>j} J_{i j} \hat{S}_{i} \hat{S}_{j}+D\left(\hat{S}_{z}^{2}-\frac{1}{2} \hat{S}^{2}\right)+E\left(\hat{S}_{x}^{2}-\hat{S}_{y}^{2}\right) \tag{1}
\end{equation*}
$$

where $\hat{S}_{i}$ and $\hat{S}_{j}$ are the spin operators of the paramagnetic centers $i$ and $j$ and $\hat{S}$ and $\hat{S}_{z}$ are the total spin operator of the molecule and its axial component, respectively. The $J_{i j}$ values are the exchange coupling constants for the different pairwise interactions between the paramagnetic centers of the molecule, while $D$ and $E$ are the axial and rhombic components of the anisotropy, respectively. The spin-orbit coupling effects must be taken into

[^2]

Figure 1. Molecular structures of the $\mathrm{Mn}_{19}$ complex, $\left[\mathrm{Mn}^{\mathrm{II}_{7}} \mathrm{Mn}^{\mathrm{III}}{ }_{12}\left(\mu_{4}-\right.\right.$ $\left.\mathrm{O})_{8}\left(\mu_{3}-\mathrm{N}_{3}\right)_{8}(\mathrm{HL})_{12}(\mathrm{MeCN})_{6}\right]^{2+}\left(\mathrm{H}_{3} \mathrm{~L}=2,6\right.$-bis(hydroxymethyl)-4-methylphenol) (below), and of its parent $\mathrm{Mn}_{10}$ compound, $\left[\mathrm{Mn}_{4}{ }_{4} \mathrm{Mn}^{\mathrm{II}}{ }_{6}\left(\mu_{4}-\mathrm{O}\right)_{4}\left(\mu_{3}-\right.\right.$ $\left.\left.\mathrm{N}_{3}\right)_{4}(\mathrm{hmp})_{12}\right]^{2+}\left(\mathrm{hmp}=2\right.$-(hydroxymethyl)pyridine) (above). The $\mathrm{Mn}^{\mathrm{II}}$ and $\mathrm{Mn}^{\text {III }}$ cations, oxygen atoms, and nitrogen atoms are represented as yellow, pink, red, and blue spheres, respectively, while hydrogen atoms are omitted for clarity.
account for the calculation of the zero-field-splitting (ZFS) $D$ and $E$ parameters. ${ }^{17,18}$ Such effects are not included in our calculation; hence, by neglecting ZFS, we can obtain directly the energy values to calculate the exchange coupling. Although our main objective is the $\mathrm{Mn}_{19}$ complex, from here on we will proceed in order of increasing complexity, analyzing first our results for $\mathrm{Mn}_{10}$. According to the description of the structure above, only two different exchange interactions appear in $\mathrm{Mn}_{10}$, thanks to its high symmetry (Figure 2a), and the spin Hamiltonian, considering only the exchange coupling terms, can be expressed by eq 2 :

$$
\begin{array}{r}
\hat{H}=-J_{a}\left[\hat{S}_{5} \hat{S}_{6}+\hat{S}_{5} \hat{S}_{7}+\hat{S}_{5} \hat{S}_{8}+\hat{S}_{5} \hat{S}_{10}+\hat{S}_{6} \hat{S}_{7}+\hat{S}_{6} \hat{S}_{8}+\right. \\
\left.\hat{S}_{6} \hat{S}_{9}+\hat{S}_{7} \hat{S}_{9}+\hat{S}_{7} \hat{S}_{10}+\hat{S}_{8} \hat{S}_{9}+\hat{S}_{8} \hat{S}_{10}+\hat{S}_{9} \hat{S}_{10}\right]- \\
J_{b}\left[\hat{S}_{1} \hat{S}_{5}+\hat{S}_{1} \hat{S}_{6}+\hat{S}_{1} \hat{S}_{7}+\hat{S}_{2} \hat{S}_{5}+\hat{S}_{2} \hat{S}_{8}+\hat{S}_{2} \hat{S}_{10}+\right. \\
\left.\hat{S}_{3} \hat{S}_{6}+\hat{S}_{3} \hat{S}_{8}+\hat{S}_{3} \hat{S}_{9}+\hat{S}_{4} \hat{S}_{7}+\hat{S}_{4} \hat{S}_{9}+\hat{S}_{4} \hat{S}_{10}\right] \tag{2}
\end{array}
$$

where $\hat{S}_{i}$ are the local spin operators of each paramagnetic center. The first term corresponds to $\mathrm{Mn}^{\mathrm{III}}-\mathrm{Mn}^{\mathrm{III}}$ and the second one to $\mathrm{Mn}^{\text {III }}-\mathrm{Mn}^{\text {II }}$ interactions. In the case of the $\mathrm{Mn}_{19}$ complex, we have essentially the same two types of interactions, but four different exchange coupling constants must be considered for each because of the lower symmetry: $J_{1}-J_{4}$ for the $\mathrm{Mn}^{\text {III }}-\mathrm{Mn}^{\text {III }}$ and $J_{5}-J_{8}$ for the $\mathrm{Mn}^{\mathrm{III}}-\mathrm{Mn}^{\mathrm{II}}$ interactions, as schematically

[^3]

Figure 2. Schemes showing the topology of the exchange interactions in the two studied complexes: (a) $\mathrm{Mn}_{10}$ and (b) $\mathrm{Mn}_{19}$. Yellow spheres, $\mathrm{Mn}^{\mathrm{II}}$; pink spheres, $\mathrm{Mn}^{\mathrm{III}}$.
represented in Figure 2b, with the corresponding spin Hamiltonian:

$$
\begin{array}{r}
\hat{H}=-J_{1}\left[\hat{S}_{2} \hat{S}_{5}+\hat{S}_{3} \hat{S}_{6}+\hat{S}_{4} \hat{S}_{7}+\hat{S}_{11} \hat{S}_{15}+\hat{S}_{12} \hat{S}_{16}+\hat{S}_{13} \hat{S}_{14}\right]- \\
J_{2}\left[\hat{S}_{2} \hat{S}_{6}+\hat{S}_{3} \hat{S}_{7}+\hat{S}_{4} \hat{S}_{5}+\hat{S}_{11} \hat{S}_{14}+\hat{S}_{12} \hat{S}_{15}+\hat{S}_{13} \hat{S}_{16}\right]- \\
J_{3}\left[\hat{S}_{2} \hat{S}_{3}+\hat{S}_{2} \hat{S}_{4}+\hat{S}_{3} \hat{S}_{4}+\hat{S}_{11} \hat{S}_{12}+\hat{S}_{11} \hat{S}_{13}+\hat{S}_{12} \hat{S}_{13}\right]- \\
J_{4}\left[\hat{S}_{5} \hat{S}_{6}+\hat{S}_{5} \hat{S}_{7}+\hat{S}_{6} \hat{S}_{7}+\hat{S}_{14} \hat{S}_{15}+\hat{S}_{14} \hat{S}_{16}+\hat{S}_{15} \hat{S}_{16}\right]- \\
J_{5}\left[\hat{S}_{1} \hat{S}_{2}+\hat{S}_{1} \hat{S}_{3}+\hat{S}_{1} \hat{S}_{4}+\hat{S}_{1} \hat{S}_{11}+\hat{S}_{1} \hat{S}_{12}+\hat{S}_{1} \hat{S}_{13}\right]- \\
J_{6}\left[\hat{S}_{5} \hat{S}_{10}+\hat{S}_{6} \hat{S}_{8}+\hat{S}_{7} \hat{S}_{9}+\hat{S}_{14} \hat{S}_{18}+\hat{S}_{15} \hat{S}_{19}+\hat{S}_{16} \hat{S}_{17}\right]- \\
J_{7}\left[\hat{S}_{2} \hat{S}_{10}+\hat{S}_{3} \hat{S}_{8}+\hat{S}_{4} \hat{S}_{9}+\hat{S}_{11} \hat{S}_{19}+\hat{S}_{12} \hat{S}_{17}+\hat{S}_{13} \hat{S}_{18} \hat{S}_{9}+\hat{S}_{6} \hat{S}_{10}+\hat{S}_{7} \hat{S}_{8}+\hat{S}_{14} \hat{S}_{19}+\hat{S}_{15} \hat{S}_{17}+\hat{S}_{16} \hat{S}_{18}\right]
\end{array}
$$

Exchange Interactions in the $\mathbf{M n}_{\mathbf{1 0}}$ Complex. The exchange coupling constants of the $\mathrm{Mn}_{10}$ complex have been calculated considering the $\left[\mathrm{Mn}_{4}{ }_{4} \mathrm{Mn}^{\mathrm{III}}{ }_{6}\left(\mu_{4}-\mathrm{O}\right)_{4}\left(\mu_{3}-\mathrm{N}_{3}\right)_{4}(\mathrm{hmp})_{12}\right]^{2+}$ cation in full, neglecting the perchlorate counterions, which have been seen to have a negligible influence on the exchange coupling (see below). From the calculated $J$ values (Table 1), we can conclude that the two DFT approaches employed give similar results and that the two interactions are ferromagnetic, resulting in an $S=22$ ground state, as experimentally found. The fact that $J_{\mathrm{a}}$ is larger than $J_{\mathrm{b}}$ may be associated with the presence of end-on azido bridges in the $J_{\mathrm{a}}$ exchange pathway. Indeed, despite the long $\mathrm{Mn}-\mathrm{N}$ bond distances ( $2.416 \AA$ ), we find that such bridging ligands play an important role, since in their absence we calculate a negative value for $J_{\mathrm{a}}$ (Table 2). However, replacement of the bridging azides by other end-on ligands, such as $\mathrm{OH}^{-}$or $\mathrm{SCN}^{-}$, results in similar ferromagnetic interactions (Table 2). This fact has been recently confirmed by a new $\mathrm{Mn}_{10}$ complex, with a similar structure but with disordered bromide

Table 1. Exchange Coupling Constants $\left(J, \mathrm{~cm}^{-1}\right)$ for the Two Exchange Pathways in the $\mathrm{Mn}_{10}$ Ion, $\left[\mathrm{Mn}^{\prime \prime}{ }_{4} \mathrm{Mn}^{\prime \prime \prime}{ }_{6}\left(\mu_{4}-\mathrm{O}\right)_{4}\left(\mu_{3}-\mathrm{N}_{3}\right)_{4}-\right.$ (hmp) 12 $^{2+}$, and Atomic Spin Populations ( $\rho$ ) Calculated with the PBE Functional and the Siesta Code and with the B3LYP Functional and the Gaussian Program; The Set of Bridging Ligands Associated with Each Coupling Constant and the Corresponding Geometrical Parameters Are Also Given (Distances in Angstroms, Bond Angles in Degrees)

|  | bridging <br> ligands | $\mathrm{Mn} \cdots \mathrm{Mn}$ | $\mathrm{Mn}-\mathrm{X}^{b}$ | $\mathrm{Mn}-\mathrm{X}-\mathrm{Mn}$ | PBE | B3LYP |
| :--- | :---: | :---: | :---: | :---: | ---: | :---: |
| $J_{\mathrm{a}}$ | $\mu_{4}$-O, $\mu_{3}-\mathrm{N}_{3}$ | 3.239 | $1.907,2.416$ | $116.3,84.2$ | 23.2 | 15.9 |
| $J_{\mathrm{b}}$ | $\mu_{4}$-O, $\mu$-OR | 3.267 | $1.907,1.889$ | $101.2,104.5$ | 3.7 | 1.6 |
|  |  |  | $2.308,2.233$ |  |  |  |
| $\rho\left(\mathrm{Mn}^{\mathrm{II})}\right.$ |  |  |  |  | 4.67 | 4.88 |
| $\rho\left(\mathrm{Mn}^{\mathrm{III}}\right)$ |  |  |  | 3.84 | 3.94 |  |

${ }^{a}$ See Computational Details. ${ }^{b}$ Values in italics correspond to the $\mathrm{Mn}^{\text {II }}$ cations.

Table 2. Calculated Exchange Coupling Constants $J\left(\mathrm{~cm}^{-1}\right)$ and Metal Spin Populations for the Whole $\mathrm{Mn}_{10}$ Complex, $\left[\mathrm{Mn}^{11}{ }_{4} \mathrm{Mn}^{\prime \prime 1}{ }_{6} \mathrm{O}_{4}\left(\mathrm{~N}_{3}\right)_{4}(\mathrm{hmp})_{12}\right]^{2+}$, Using Numerical Basis Sets (Siesta Code) ${ }^{a}$

|  | full molecule | $+2 \mathrm{ClO}_{4}^{-}$ | $-4 \mathrm{~N}_{3}{ }^{-}$ | $+4 \mathrm{OH}^{-}$ | $+4 \mathrm{NCS}^{-}$ |
| :--- | :---: | :---: | :---: | :---: | :---: |
| $J_{\mathrm{a}}$ | 23.2 | 23.6 | -7.7 | 19.0 | 20.3 |
| $J_{\mathrm{b}}$ | 3.7 | 3.3 | 9.0 | 3.7 | 4.1 |
| $\rho\left(\mathrm{MnII}^{\mathrm{II}}\right)$ | 4.67 | 4.66 | 4.58 | 4.66 | 4.66 |
| $\rho\left(\mathrm{Mn}^{\mathrm{II}}\right)$ | 3.84 | 3.84 | 4.03 | 3.88 | 3.83 |
|  |  |  |  |  |  |

${ }^{a}$ Additional systems were calculated to check the influence of added perchlorate counteranions: a system without the azido bridging ligands and two cases with $\mathrm{OH}^{-}$and $\mathrm{SCN}^{-}$bridging ligands replacing the azido groups to check their influence on the exchange coupling constants.
and hydroxo bridging ligands, that also presents ferromagnetic interactions and an $S=22$ ground state. ${ }^{19}$

The weak ferromagnetic interaction revealed by the small positive $J_{\mathrm{b}}$ value is interesting, since $\mathrm{Mn}^{\text {II }}$ cations usually present antiferromagnetic coupling. This result might be associated with the interaction with a $\mathrm{Mn}^{\mathrm{III}}$ cation with a small antiferromagnetic contribution due to the presence of only one unpaired electron at the "ee" orbitals, as well as to the long $\mathrm{Mn}^{\mathrm{II}}-\mathrm{O}$ bond distances (Table 1) caused by the high coordination number of the $\mathrm{Mn}^{\mathrm{II}}$ cations. Dinuclear mixed-valence alkoxo-bridged $\mathrm{Mn}^{\mathrm{II}}-\mathrm{Mn}^{\mathrm{III}}$ complexes have been reported ${ }^{20,21}$ that show weak ferromagnetic coupling, consistent with our theoretical results and the experimental data for the $J_{\mathrm{b}}$ interaction in the $\mathrm{Mn}_{10}$ complex.

Finally, the analysis of the spin population distribution indicates a strong localization of the spin density at the metal atoms, especially in the case the $\mathrm{Mn}^{\text {III }}$ cations, that can be explained by their $\mathrm{t}_{2 \mathrm{~g}}{ }^{3} \mathrm{e}_{\mathrm{g}}{ }^{1}$ electron configuration, in which three unpaired electrons occupy the nonbonding $\mathrm{t}_{2 \mathrm{~g}}$ orbitals and one is in the antibonding $\mathrm{M}-\mathrm{L}_{z^{2}}$ orbital that is weakly delocalized due to the long $\mathrm{Mn}-\mathrm{N}$ bond distances. ${ }^{22,23}$ Such a large spin localization is likely to favor a ferromagnetic coupling, as seen earlier for other $\mathrm{Mn}^{\mathrm{II}}$ complexes with high coordination num-

[^4]

Figure 3. Temperature dependence of the magnetic susceptibility of the $\mathrm{Mn}_{10}$ complex, from experiment ( $\boldsymbol{\bullet}$; solid line for the least-squares fitting) and from a combined quantum Monte Carlo simulation and exact diagonalization approach (see text for details) using the coupling constants calculated with the PBE (O) and B3LYP ( $\square$ ) functionals and the associated methodologies described in the text.
ber. ${ }^{24}$ To check this conclusion, we recalculated the $J$ values using a model structure in which the $\mathrm{Mn}-\mathrm{O}$ bond distances were reduced to $2.08 \AA$, in which case an antiferromagnetic coupling constant was obtained, thus confirming the importance of the long $\mathrm{Mn}-\mathrm{O}$ bond distances associated with the high coordination number of the $\mathrm{Mn}^{\text {II }}$ cations.

In order to verify the accuracy of the calculated $J$ values, we wish to compare the experimental magnetic susceptibility curve with that obtained from calculated coupling constants. The neglected ZFS terms are very small for these high-spin molecules; consequently, their influence on the magnetic susceptibility curve is negligible. Since the large size of the Hamiltonian matrix prevents the exact diagonalization of the whole matrix, we have combined quantum Monte Carlo simulations that properly describe the magnetic susceptibility curve at high temperatures with the exact diagonalization corresponding to the lowest energy states (from $S=22$ to $S=$ 12 , with relatively small matrices) that is expected to correctly simulate the low-temperature region (below 20 K ). Among the possible quantum Monte Carlo methods, we have used the decoupled cell method (DCM) as proposed by Homma et al. ${ }^{25,26}$ In this method, the probability of inverting the $M_{S}$ values (spin flip) for a site is evaluated from the probabilities obtained in a subsystem in which this site occupies the central position. These probabilities are also evaluated by the exact diagonalization applied to that specific subsystem. The Monte Carlo simulations were carried out in a way similar to that described in previous work, using in this case $5 \times 10^{5}$ steps. ${ }^{27}$
The experimental curve (Figure 3) is bound by the two sets of calculated data, with the high-temperature zone being best reproduced by the B3LYP method and the low-temperature zone by the PBE approach. The different behavior of the two sets of calculated $J$ values suggests that the larger coupling constant

[^5]

Figure 4. Spin density map for the $S=22$ ground state of the $\mathrm{Mn}_{10}$ complex, calculated with the B3LYP functional. The isodensity surface represented corresponds to a value of $0.03 \mathrm{e}^{-} / \mathrm{bohr}^{3}$ (gray regions indicate positive spin populations; negative values are not detected with the cutoff employed).
$J_{\mathrm{a}}$, which dominates the shape of the curve at high temperatures, is best reproduced by the B3LYP calculations, whereas for the smaller $J_{\mathrm{b}}$, which should become more relevant at low temperatures, the PBE approach seems to give a better agreement. This combined approach of quantum Monte Carlo simulations and exact diagonalization has been employed to perform a fitting of the experimental data, obtaining $J_{\mathrm{a}}=16.7 \mathrm{~cm}^{-1}, J_{\mathrm{b}}=2.5$ $\mathrm{cm}^{-1}, g=1.943$, and an intermolecular interaction term $\theta=$ $-0.20 \mathrm{~cm}^{-1}\left(R=2.8 \times 10^{-4}\right)$. These values confirm the conclusion that the B3LYP $J_{\mathrm{a}}$ value agrees better with the experimental data at high temperature, while the three $J_{\mathrm{b}}$ values are rather similar. Those results also show how sensitive the magnetic behavior is to differences of a few wavenumbers in the coupling constants. Using the eigenvalues corresponding to the exact diagonalization of the smallest blocks, the excitation energy between the $S=22$ ground state and the $S=21$ first excited state are 18.4 and $5.4 \mathrm{~cm}^{-1}$ with the PBE and B3LYP $J$ values, respectively.

The representation of the spin density calculated for the $\mathrm{Mn}_{10}$ complex in its $S=22$ ground state (Figure 4) reveals a strong localization of the unpaired electrons at the manganese cations. Thus, the peripheral $\mathrm{Mn}^{\mathrm{II}}$ cations have an almost perfect spherical spin distribution, while at the central $\mathrm{Mn}^{\mathrm{III}}$ ones it is slightly distorted due to the $\mathrm{d}^{4}$ electron configuration. ${ }^{22,23}$ The spin delocalization over the ligands is very small due to the long $\mathrm{Mn}^{\mathrm{III}}-\mathrm{N}$ and $\mathrm{Mn}^{\mathrm{II}}-\mathrm{O}$ bond distances that result in a poor mixing between the ligand and manganese 3 d orbitals in the antibonding molecular orbitals responsible for the spin delocalization. It is possible to detect tiny positive spin densities at the oxo bridging ligand, while practically no spin density is seen at the azido bridges. In summary, the long $\mathrm{Mn}-\mathrm{X}$ bond distances in $\mathrm{Mn}_{10}$ result in an important metal-centered localization of the unpaired electrons, thus accounting for small antiferromagnetic contributions, and ferromagnetic interactions predominate.

Exchange Interactions in the $\mathbf{M n}_{19}$ Complex. Now that we have seen how well the low-temperature magnetic behavior is reproduced by the DFT methodology for $\mathrm{Mn}_{10}$, we can look at the results for the more complex $\mathrm{Mn}_{19}$ molecule. The calculated $J$ values (Table 3) follow trends similar to those found above for $\mathrm{Mn}_{10}$ : (i) all the exchange coupling constants are ferromag-

Table 3. Calculated Exchange Coupling Constants $J\left(\mathrm{~cm}^{-1}\right)$ for the $\mathrm{Mn}_{19}$ Complex Mediated by Different Pairs of Bridging Ligands, Together with the Corresponding Geometrical Parameters ${ }^{a}$

|  | bridging ligands | $\mathrm{Mn} \cdots \mathrm{Mn}(\AA)$ | $\mathrm{Mn}-\mathrm{X}^{\text {b }}$ ( ${ }^{\text {A }}$ ) | $\mathrm{Mn}-\mathrm{X}-\mathrm{Mn}\left({ }^{\circ}\right)$ | $J_{\text {PBE }}$ | $J_{\text {BBLYP }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{Mn}^{\text {III }}-\mathrm{Mn}^{\text {III }}$ |  |  |  |  |  |  |
| $J_{1}$ | $\mu_{4}-\mathrm{O}, \mu_{3}-\mathrm{N}_{3}$ | 3.311 | 1.929, 1.923, 2.473, 2.456 | 118.5, 84.4 | 9.9 | 3.0 |
| $J_{2}$ | $\mu_{4}-\mathrm{O}, \mu_{3}-\mathrm{N}_{3}$ | 3.219 | $1.929,1.905,2.500,2.456$ | 114.3, 81.0 | 15.7 | 15.2 |
| $J_{3}$ | $\mu_{4}-\mathrm{O}, \mu_{3}-\mathrm{N}_{3}$ | 3.206 | 1.891, 1.891, 2.500, 2.473 | 115.9, 80.3 | 16.8 | 11.3 |
| $J_{4}$ | $\mu_{4}-\mathrm{O}, \mu_{3}-\mathrm{N}_{3}$ | 3.185 | 1.923, 1.904, 2.363, 2.363 | 112.7, 84.7 | 22.2 | 14.0 |
| $\mathrm{Mn}^{\mathrm{II}}-\mathrm{Mn}^{\mathrm{III}}$ |  |  |  |  |  |  |
| $J_{6}$ | $\mu_{4}$-O, $\mu$-OR | 3.303 | $1.923,1.895,2.262,2.362$ | 104.0, 101.3 | 7.2 | 5.4 |
| $J_{7}$ | $\mu_{4}$-O, $\mu$-OR | 3.298 | $1.929,1.894,2.262,2.286$ | 103.5, 103.8 | 7.2 | 3.4 |
| $J_{8}$ | $\mu_{4}$-O, $\mu$-OR | 3.224 | 1.904, 1.878, 2.262, 2.186 | 101.1, 104.8 | 5.1 | 1.6 |

${ }^{a}$ The coupling constants were obtained using the PBE functional and the Siesta code and with the B3LYP functional and the NWChem code (see Computational Details). ${ }^{b}$ Values in italics correspond to the $\mathrm{Mn}^{I I}$ cations.


Figure 5. Temperature dependence of the magnetic susceptibility of the $\mathrm{Mn}_{19}$ complex, from experiment (©) and from quantum Monte Carlo simulations using the coupling constants calculated with the PBE $(\mathrm{O})$ and B3LYP ( $\square$ ) functionals and the associated methodologies described in the text.
netic, in agreement with the $S=83 / 2$ ground state that is consistent with the experimental data; ${ }^{1}$ (ii) the $J_{1}-J_{4}$ interactions between pairs of octahedral $\mathrm{Mn}^{\text {III }}$ ions through $\mu_{4}-\mathrm{O}$ and $\mu_{3}-\mathrm{N}_{3}$ bridges (equivalent to $J_{\mathrm{a}}$ in $\mathrm{Mn}_{10}$ ) are the strongest ones, even if there are significant differences in their numerical values that could be associated with differences in the $\mathrm{Mn} \cdots \mathrm{Mn}$ distances, at least in the PBE results; (iii) the interactions through $\mu_{4}-\mathrm{O}$ and $\mu$-OR bridges between the external seven-coordinated $\mathrm{Mn}^{\mathrm{II}}$ ions and the octahedral $\mathrm{Mn}^{\text {III }}$ ions ( $J_{6}-J_{8}$, analogous to $J_{\mathrm{b}}$ in $\left.\mathrm{Mn}_{10}\right)$ are weaker ( $6 \pm 1 \mathrm{~cm}^{-1}$ ); and (iv) the $J_{5}$ interaction involving the central octacoordinated $\mathrm{Mn}^{\mathrm{II}}$ cation shows a weaker ferromagnetic coupling than those corresponding to the heptacoordinated $\mathrm{Mn}^{\mathrm{II}}$ cations ( $J_{6}-J_{7}$ ). Although the ferromagnetic nature of the $J_{5}-J_{8}$ coupling constants may seem somewhat odd, given the antiferromagnetic interactions usually found through $\mu_{4}-\mathrm{O}$ and $\mu$-OR bridges, such a difference could be attributed to the presence of a long $\mathrm{Mn}^{\mathrm{II}}-\mathrm{X}$ distance to each bridging ligand, as discussed in the previous section.

In order to compare our theoretical results with the magnetic susceptibility curve, we performed quantum Monte Carlo simulations with the two sets of calculated $J$ values, and the results are represented in Figure 5. In this case, the number of states is too large, and it is not possible to perform a significant number of block diagonalizations of the highest spin states to describe the low-temperature regime, as done above for the $\mathrm{Mn}_{10}$ complex. It is well known that quantum Monte Carlo simulations fail at low temperatures; ${ }^{27}$ however, the agreement between the


Figure 6. Spin density map for the $S=83 / 2$ ground state of the $\mathrm{Mn}_{19}$ complex, calculated with the B3LYP functional. The isodensity surface represented corresponds to a value of $0.03 \mathrm{e}^{-} / \mathrm{bohr}^{3}$ (gray regions indicate positive spin populations; negative values are not detected with the employed cutoff).
experimental curve and that obtained with the B3LYP $J$ values is excellent down to 40 K . The curve obtained with the PBE functional corroborates also the results of $\mathrm{Mn}_{10}$ complex at high temperature, showing that the $J_{1}-J_{4}$ values are too ferromagnetic.

The representation of the spin density calculated for the $\mathrm{Mn}_{19}$ complex in its $S=83 / 2$ ground state (Figure 6) indicates a strong localization of the unpaired electrons at the manganese cations, as in the $\mathrm{Mn}_{10}$ complex. Small delocalization contributions appear at the oxo bridging ligands and at the third nitrogen atom of the $\mu_{3}-\eta^{1}: \eta^{1}: \eta^{1}$ azido bridging ligands. A Mulliken analysis provides a spin population value of $4.88 \mathrm{e}^{-}$for the central $\mathrm{Mn}^{\mathrm{II}}$ cation, slightly larger than at the other $\mathrm{Mn}^{\mathrm{II}}$ cations (4.85 $\mathrm{e}^{-}$), probably due to a larger localization induced by longer $\mathrm{Mn}-\mathrm{O}$ bond distances. The $\mathrm{Mn}^{\mathrm{III}}$ cations show spin population values between 3.85 and $3.88 \mathrm{e}^{-}$, indicative of a high degree of localization as a consequence of the poor mixing between the ligand and $\mathrm{Mn}^{\mathrm{III}} 3 \mathrm{~d}_{z^{2}}$ orbitals, expected for the long $\mathrm{Mn}-\mathrm{N}$ bond distance induced by the Jahn-Teller effect.

## Conclusions

The exchange coupling constants calculated using methods based on density functional theory provide an accurate description of the available experimental magnetic properties of the $\mathrm{Mn}_{10}$ and $\mathrm{Mn}_{19}$ complexes. All the exchange coupling interactions in such systems are ferromagnetic, giving the $S=22$ and $S=83 / 2$ ground states experimentally found. Magnetic susceptibility curves obtained from the calculated $J$ values using quantum Monte Carlo simulations and, in the case of $\mathrm{Mn}_{10}$,

Table 4. Calculated Exchange Coupling Constants $J\left(\mathrm{~cm}^{-1}\right)$ for Five Manganese Dinuclear Complexes, ${ }^{40-44}\left[\mathrm{Mn}^{\mathrm{NV}}{ }_{2}(\mu-\mathrm{O})_{2}(N \text {-Eth-sal) })_{2}\right]$ (1), $\left[\mathrm{Mn}^{\prime \prime \prime}{ }_{2}(\mu-\mathrm{O})(\mu-\mathrm{OAc})_{2}(\mathrm{tacn})_{2}\right]^{2+}(2),\left[\mathrm{Mn}^{\prime \prime}{ }_{2}(\mathrm{OAc})_{2}(\mathrm{BpmpH})\right]^{+}(3)$, $\left[\mathrm{Mn}^{\mathrm{H}}{ }_{2}(\mu-\mathrm{O})_{2}\left(\text { (bispicMe }{ }_{2} \mathrm{en}\right)_{2}\right]^{2+}(4)$, and $\left[\mathrm{Mn}_{2}{ }_{2}(\mu-\mathrm{O})(\mu-\mathrm{OAc})_{2}{ }^{-}\right.$ $\left.(T P-T A C N)_{2}\right]^{2+}(5)^{a}$

| basis set |  | functional | complexes |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Mn | other elements |  | 1 | 2 | 3 | 4 | 5 |
| Numerical |  |  |  |  |  |  |  |
| TZP | DZ pseudol | PBE | -376.3 | +2.2 | -25.1 | -314.4 | -11.9 |
| DZP | DZ pseudo2 | PBE | -347.3 | +14.6 | -20.8 | -241.2 | +5.7 |
| Gaussian |  |  |  |  |  |  |  |
| ae TZP | ae DZ | PBE | -409.0 | -20.7 | -26.5 | -311.0 | -33.5 |
| ae TZP | ae DZ | B3LYP | -190.6 | +16.6 | -13.4 | -183.9 | +8.9 |
| Experimental$\begin{aligned} & \text {-300 }\end{aligned}+18$ |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |

${ }^{a}$ The Siesta code was used with PBE functional and basis sets of different quality and two different pseudopotentials. The Gaussian calculations were carried out with the PBE and B3LYP functionals using the double- $\zeta$ basis set (DZ) of Schaefer et al. ${ }^{33}$ for the main group elements and the triple- $\zeta$ one from the same authors for the manganese atoms (TZP).
combined with the exact diagonalization of the smallest blocks reproduce well the experimental curve. There are two types of exchange pathways, the first one with stronger ferromagnetic interactions through oxo and azido bridging ligands, and the second one through oxo and alkoxo bridging ligands. The role of the azido ligand seems to be less important than previously thought, probably due to the long $\mathrm{Mn}^{\mathrm{III}}-\mathrm{N}$ distances produced by a Jahn-Teller effect, since the calculated $J$ values for $\mathrm{Mn}_{10}$ complexes with azides replaced by other linear ligands, such as hydroxo or thiocyanate, are also ferromagnetic and of similar strength. The weak ferromagnetic coupling found through the oxo-alkoxo exchange pathway can be explained by the nature of the $\mathrm{Mn}^{\mathrm{II}}-\mathrm{Mn}^{\mathrm{III}}$ interactions and the high coordination numbers of the $\mathrm{Mn}^{\text {II }}$ cations (seven or eight) that results in long $\mathrm{Mn}-\mathrm{O}$ bond distances to the bridging ligand.

The synergy between experimental and theoretical studies in the field of molecular magnetism has been shown to complement the synthesis of new unprecedented high-spin complexes with a detailed theoretical characterization of the magnetic interactions at the microscopic level.

## Computational Details

In our calculations, we employed the experimental structures that take into account small structural effects induced by intermolecular interactions that may result in significant changes in the calculated exchange coupling constants, due to the strong dependence of the magnetic properties on structural parameters. Calculations with the B3LYP functional ${ }^{28}$ were performed with the Gaussian $03^{29}$ and NWChem codes ${ }^{30,31}$ using the quadratic convergence approach and a guess function generated with the Jaguar 6.5 code. ${ }^{32}$ The triple- $\zeta$ all-electron Gaussian basis set proposed by Schaefer et al. was employed. ${ }^{33}$ The results are summarized in Table 4.

[^6]Table 5. Calculated Exchange Coupling Constants $J\left(\mathrm{~cm}^{-1}\right)$ and Metal Spin Populations for the $\mathrm{Mn}_{10}$ Complex $\left[\mathrm{Mn}_{4}{ }_{4} \mathrm{Mn}^{\prime \prime \prime}{ }_{6} \mathrm{O}_{4}\left(\mathrm{~N}_{3}\right)_{4}\right.$ $\left.(\mathrm{hmp})_{12}\right]^{2+}$ Using Gaussian and Numerical Basis Sets

|  |  |  | Siesta pseudo1 |  |
| :--- | :---: | :---: | :---: | :---: |
| Siesta pseudo2 |  |  |  |  |
|  | Gaussian B3LYP | Gaussian PBE | PBE | PBE |
| $J_{\mathrm{a}}$ | 15.9 | 18.5 | 13.0 | 23.2 |
| $J_{\mathrm{b}}$ | 1.6 | -1.8 | -0.7 | 3.7 |
| $\rho\left(\mathrm{Mn}^{\mathrm{II})}\right)$ | 4.88 | 4.87 | 4.80 | 4.67 |
| $\rho\left(\mathrm{Mn}^{\mathrm{III}}\right)$ | 3.94 | 3.84 | 3.85 | 3.84 |

For the calculations performed with the Siesta program (Spanish Initiative for Electronic Simulations with Thousands of Atoms), ${ }^{34-37}$ the GGA exchange-correlation functional proposed by Perdew, Burke, and Erzernhof (PBE) was used. ${ }^{12}$ We took values of 50 meV for the energy shift and 200 Ry for the mesh cutoff that provide a good compromise between accuracy and computer time needed to calculate the exchange coupling constants. ${ }^{13}$ Only valence electrons are included in the calculations, the cores being replaced by norm-conserving scalar relativistic pseudopotentials factorized in the Kleinman-Bylander form. ${ }^{38}$ These pseudopotentials are generated following the procedure proposed by Trouiller and Martins ${ }^{39}$ from the ground-state atomic configurations for all the atoms except for Mn , for which the $\mathrm{Mn}^{\text {II }}$ configuration $[\mathrm{Ne}] 3 \mathrm{~s}^{2} 3 \mathrm{p}^{6} 4 \mathrm{~s}^{0} 3 \mathrm{~d}^{5}$ was employed. The core radii for the s , p , and d components of the Mn atoms are $1.4,1.9$, and 1.5 au , respectively, and we have included partial-core corrections for a better description of the core regions. The cutoff radii were 1.15 au for oxygen, nitrogen, and hydrogen atoms, 1.25 au for carbon, and 1.6 au for chlorine atoms.

This new pseudopotential (called hereafter pseudo2) employed for Mn atoms, describing the 3 s and 3 p orbitals with a numerical basis set, considerably improves the results compared to those obtained with a large core pseudopotential used previously (pseudo1). ${ }^{14}$ The new results agree even better in some cases with the experimental data than those obtained with a Gaussian basis set and the hybrid B3LYP functional for a set of manganese dinuclear complexes (Table 4). The use of this functional also provides a correct description of the signs of the calculated $J$ values for the $\mathrm{Mn}_{10}$ complex. The GGA functional (PBE) employed with Gaussian basis sets provides results somewhat different from those obtained with hybrid functionals, overestimating the antiferromagnetic contributions and giving a too-large spin delocalization on the ligands. ${ }^{45}$ For instance, the $J_{\mathrm{b}}$ value calculated for the $\mathrm{Mn}_{10}$ complex with the PBE functional and Gaussian basis set (Table 5) has a wrong negative sign for this interaction, as happens also for the two ferromagnetic dinuclear complexes (Table 4). However,
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in the calculations with PBE functional using numerical basis sets, the results are relatively similar to those obtained with the hybrid functional and Gaussian basis sets, giving in both cases a nice agreement with the experimental data. ${ }^{13,14}$ The difference obtained using the same PBE functional between the Gaussian and numerical codes was noticed previously, ${ }^{14}$ and the reason of such a difference could be related to the confinement of the wave function in the numerical code, resulting in a smaller delocalization of the spin density. For instance, in the case of complex 2 (Table 4), the Mulliken spin population for the $\mathrm{Mn}^{\text {III }}$ cations with PBE and Siesta is $3.918 \mathrm{e}^{-}$while the B3LYP and PBE values with Gaussian are 3.920 and $3.870 \mathrm{e}^{-}$, respectively. The comparison of these spin population values shows that the spin delocalization is very similar between the Siesta PBE values and those obtained with the B3LYP functional and Gaussian basis set, and consequently the $J$ values are relatively similar.
Four calculations were performed on the $\left[\mathrm{Mn}^{\mathrm{II}}{ }_{4} \mathrm{Mn}^{\mathrm{III}}{ }_{6} \mathrm{O}_{4}\left(\mathrm{~N}_{3}\right)_{4}-\right.$ $\left.(\mathrm{hmp})_{12}\right]^{2+}$ complex in order to obtain the two exchange coupling constants by least-squares fitting for the following spin configurations: a high-spin solution ( $S=22$ ), an $S=2$ configuration with negative spin at all the $\mathrm{Mn}^{\text {II }}$ cations $\{\mathrm{Mn} 1, \mathrm{Mn} 2, \mathrm{Mn} 3, \mathrm{Mn} 4\}$ (Figure 2), another one with negative spin at the $\mathrm{Mn}^{\mathrm{III}}$ cations and $S=6$ at $\{\mathrm{Mn} 6, \mathrm{Mn} 7, \mathrm{Mn} 8, \mathrm{Mn} 10\}$, and an $S=14$ configuration with negative spin at $\{\mathrm{Mn} 7, \mathrm{Mn} 8\}$. For the $\mathrm{Mn}_{19}$ complex, nine spin distributions were calculated: the high-spin distribution ( $S=$ $83 / 2$ ), an $S=51 / 2$ configuration with negative spins at the atoms
\{Mn4, Mn5, Mn13, Mn14\}, and eight distributions with the following total spin and metal atoms with negative spins: $S=57 / 2$ $\{\operatorname{Mn5}, \mathrm{Mn} 14\}, S=47 / 2\{\operatorname{Mn} 4, \mathrm{Mn} 10, \mathrm{Mn} 14, \mathrm{Mn} 19\}, S=35 / 2$ \{Mn2, Mn3, Mn4, Mn11, Mn12, Mn13\}\{Mn5, Mn6, Mn7, Mn14, $\operatorname{Mn} 15, \operatorname{Mn} 16\}, S=31 / 2\{\mathrm{Mn} 2, \mathrm{Mn} 7, \mathrm{Mn} 8, \mathrm{Mn} 11, \mathrm{Mn} 16\}, S=$ 25/2 \{Mn1, Mn2, Mn3, Mn4, Mn11, Mn12, Mn13\}, and $S=13 / 2$ \{Mn1, Mn8, Mn9, Mn10, Mn17, Mn18, Mn19\}.
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Supporting Information Available: Complete refs 29 and 30; Cartesian coordinates and calculated energies for the high-spin state using the B3LYP functional and the Gaussian basis set of the $\mathrm{Mn}_{10}$ and $\mathrm{Mn}_{19}$ complexes. This information is available free of charge via the Internet at http://pubs.acs.org.

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